

DOUGLAS COLLEGE

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COURSE INFORMATION

COUR



DEPARTMENT	INSTRUCTORS	CLASS NUMBER	OFFICE NUMBER
DESCRIPTION	SEMESTER HOURS	NAME	CREDIT

NAME AND NUMBER OF COURSE

RELATED COURSES:

COURSES FOR WHICH THIS

IS A PREREQUISITE:

Physics PHY420 (Electro-magnetic theory)

WHERE)

TEXTBOOKS, REFERENCES, MATERIALS (LIST READING RESOURCES HERE)

COURSE OBJECTIVES, CONTENT, METHOD, EVALUATION:

Define divergence, gradient, line and surface integrals, and relate them to physical quantities.

Review

Define and compute $\int f(x)dx$, $\int f(x)dA$, $\int f(x)dV$.

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Relate line integrals to work done.

Review changes of variables - Divergence

Relate surface integrals to flux etc., $\int \int f(x)dA$, $\int \int f(x)dV$.

, X, , etc.

1. Define tangent plane and normal.

2. Represent surfaces parametrically

Define and compute $\int f(x)dx$.

Recognize application of scalar and vector fields in the study of temperature, pressure, heat and fluid flow etc.. Define gradient and relate to tangent

vector field and divergence. Sketch contour, potential, level and streamlines for a

Define $\int F(x) \cdot ds$ and interpret as work or flow. Recognize the dependence on function, constant, and the notion of kinetic

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conservative field. State and prove theorems concerning conservative fields. Define potential and investigate entropy and the state and potential energy. Define potential and co

ordinates. Investigate results concerning streamlines and stream functions.

5. Define $\int F(x) \cdot dn$ and $\iint F(x) \cdot dA$ and interpret as flows.

5.

Explain a coordinate-free manner, derive the Cartesian formulae and recognize the physical significance of divergence, sources and sinks.

6. Define divergence

in R^2 and R^3 and

Investigate source

and sink densities. Relate divergence to the Cartesian formulae and investigate various forms of divergence.

7. Define and prove elementary forms of Green's theorem and its generalizations. Use them to evaluate line integrals and evaluate the physical significance of surface areas and volumes etc.

8. State and prove elementary forms of Green's theorem

and its generalizations.

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9. Obtain polar-coordinate expressions for gradient, divergence and curl.

10. Discuss situations described by the equations of Laplace and Poisson obtain Cartesian polar representations for the Laplacian.

11. Deduce and use common vector identities.

METHOD AND EVALUATION

The class meets four times a week for fourteen weeks.

expected that most questions will be resolved outside class demand, but it is consultation with the instructor.

Algebra) is one of the co-requisites for this course; vector notation will be used freely and whenever appropriate in this course.

MAT 232 (Linear

three tests during the course of the semester comprehensive, three hour final examination

to the student's advantage the scores on the three tests will be ignored in arriving at the course grade.

If it is

courses in mathematics a combination of knowledge, skills, and

Since this course is pre-requisite to most further satisfactory score must be obtained on the final exam than P is to be awarded for the course.